

**Class-10**

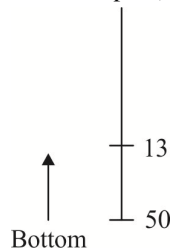
**MAT**

**1.(C)** 9 May 2009  
 Write last 2 digits of year = 09  
 Divide by 4 and write the quotient = 02  
 Write the no of year = 06  
 Write the no of month = 01  
 Write the date = 09  
 Add all = 27  
 Divide by 7 and write the remainder = 6 ODD days  
 So Day was Saturday

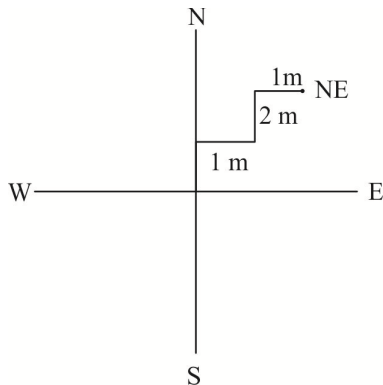
**2.(B)**  $9 + 7 + 6 + 3 = 25$        $2 + 5 = 7$   
 $10 + 8 + 7 + 2 = 27$        $2 + 7 = 9$   
 $11 + 6 + 5 + 1 = 23$        $2 + 3 = 5$

**3.(C)** In one jump, monkey effectively climbs 2m. So it will climb 60 m in 30 jumps. On 31<sup>st</sup> jump he reaches 63 m.

**4.(B)** Rank from top =  $(50 - 13 + 1) = 38$



**5.(D)**



**MATH**

**1.(D)**  $a = \cos \phi \cot \phi$   
 $b = \sin \phi \tan \phi$   
 $a^2 b = \cos^3 \phi$   
 $ab^2 = \sin^3 \phi$   
 $(a^2 b)^{2/3} = (ab^2)^{2/3} = 1$

**2.(B)** Since, each digit occurs at least twice, we have following possibilities.

1. Three digits occurs twice each. We may choose three digits from  $\{1, 2, 3, 4, 5\}$  in  ${}^5C_3$  ways = 10 ways. If each occurs exactly twice, the no of such admissible 6-digits number is

$$\frac{6!}{2!2!2!} \times 10 = 900$$

2. Two digits occur three times each. We can choose 2 digits in  ${}^5C_2 = 10$  ways. Hence, the no of admissible 6 digits no.

$$\frac{6!}{3!3!} \times 10 = 200$$

3. One digit occurs 4 times and the other twice. We are choosing two digits again, which can be done in 10 ways. The two digits are interchangeable. Hence, the desired number of admissible 6 digit numbers is

$$2 \times \frac{6!}{4!2!} \times 10 = 300$$

4. Finally, all digits are same. There are 5 such numbers.

Thus the total number of admissible number is  $900 + 200 + 300 + 5 = 1405$

$$\Rightarrow \text{Value of } N = 1405 + 1 = 1406$$

### PHYSICS

- 1.(B) 2 and 3 only

more the liquid contracts relatively on cooling More it will expand on heating relatively

- 2.(D) Because of high speed bullet won't have sufficient time to change state of inertia of rest of farther points on windowpane.

### Chemistry

- 1.(B) A has boiling point 350 K

B has boiling point  $85^\circ \text{C}$  i.e.,  $85 + 273.15 \text{ K} \Rightarrow 358.15 \text{ K}$

Since difference in boiling point is less than 25 K; fractional distillation is needed to separate them.

Temperature is highest at bottom of fractionating column.

- 2.(A) 100 gm of first sample (X) = 25 ml ( $\because$  density =  $4 \text{ g/cm}^3$ )

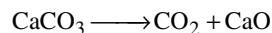
40 % w/v = 40 gm  $\text{CaCO}_3$  in 100 ml of sample

$\therefore$  25 ml sample has 10 gm  $\text{CaCO}_3$

50 ml of second sample (Y) = 100 g ( $\because$  density =  $2 \text{ g/cm}^3$ )

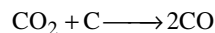
20 % w/w = 20 gm  $\text{CaCO}_3$  in 100 gm of sample

$\therefore$  50 ml samples has 20 gm  $\text{CaCO}_3$



$$\text{Moles of } \text{CO}_2 \text{ from X} = \frac{10}{100} \text{ (same as mole of } \text{CaCO}_3\text{)}$$

$$\text{Moles of } \text{CO}_2 \text{ from Y} = \frac{20}{100}$$



$$\frac{10}{100} \quad \frac{0.6}{12}$$

$$\frac{1}{10} \quad \frac{1}{20}$$

So C is limiting reagent.

$$\therefore \frac{1}{20} \times 2 \text{ moles of CO will be formed}$$

$$\Rightarrow \text{Moles of CO} = \frac{1}{10}$$

$$\text{Moles of } \text{CO}_2 \text{ from Y} = \frac{20}{100} \text{ (same as mole of } \text{CaCO}_3\text{)}$$

$$\therefore \frac{n_{\text{CO}}}{n_{\text{CO}_2}} = \frac{1/10}{1/5} = \frac{1}{2}$$